Day 29

Bug Algorithms

3/31/2017

Fundamental Problems

- Chapter 2 of Dudek and Jenkin begins:
 - Before delving into the harsh realities of real robots..."
- lists 5 fundamental problems
 - 1. path planning
 - 2. localization
 - 3. sensing or perception
 - 4. mapping
 - 5. simultaneous localization and planning

A Point Robot

- represents a mobile robot as a point in the plane*
- the point P fully describes the state of the robot
 - called pose or configuration
- robot motion causes the state to change

Free Space and Obstacles

- the set of valid poses is called the free space C_{free} of the robot
- the invalid poses are obstacles



Path Planning

• is it possible for the robot to move to a goal configuration while remaining in C_{free} ?



Path Planning Using Bugs

- bug algorithms assume:
 - point robot
 - known goal location
 - finite number of bounded obstacles
 - robot can perfectly sense its position at all times
 - robot can compute the distance between two points
 - robot can remember where it has been
 - robot can perfectly sense its local environment
 - robot can instantaneously change direction



- assumes a perfect contact sensor
- repeat
 - head towards goal
 - if goal is reached then stop
 - if an obstacle is reached then follow the boundary until heading towards the goal is again possible





not guaranteed to reach the goal



goal

餘

gets stuck here because as soon as it moves down there is a path to the goal that does not go through the obstacle

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- assumes a perfect contact sensor
- repeat:
 - head toward goal T
 - if goal is reached then stop
 - if an obstacle is reached then
 - ▶ remember the point of first contact H (the hit point)
 - follow the boundary of the obstacle until returning to H and remember the point L (the leave point) closest to T from which the robot can depart directly towards T
 - $\hfill\square$ if no such point L exists then the goal is unreachable; stop
 - move to L using the shortest boundary following path

- Bug Two uses a line, called the *m*-line, from the start point to the goal
 - sometimes called the direct path

- assumes a perfect contact sensor
- repeat:
 - head toward goal T along the m-line
 - if goal is reached then stop
 - if an obstacle is reached then
 - remember the point of first contact H (the hit point)
 - follow the boundary of the obstacle until the m-line is crossed at a leave point closer to the goal than H
 - \square if no such point L exists then the goal is unreachable; stop
 - leave the obstacle and head toward T

Bug One versus Bug Two

- Bug One uses exhaustive search
 - it considers all leave points before leaving the obstacle
- Bug Two uses greedy search
 - it takes the first leave point that is closer to the goal

Sensing the Environment

- BugI and Bug2 use a perfect contact sensor
- we might be able to achieve better performance if we equip the robot with a more powerful sensor
- a range sensor measures the distance to an obstacle; e.g., laser range finder
 - emits a laser beam into the environment and senses reflections from obstacles
 - essentially unidirectional, but the beam can be rotated to obtain 360 degree coverage
 - http://velodynelidar.com/lidar/lidar.aspx

- assumes a perfect 360 degree range finder with a finite range
 - measures the distance $\rho(x, \theta)$ to the first obstacle intersected by the ray from x with angle θ
 - > has a maximum range beyond which all distance measurements are considered to be $\rho=\infty$
- the robot looks for discontinuities in $\rho(x, \theta)$

 currently, bug thinks goal is reachable so it moves toward the goal

once the obstacle is sensed, the bug needs to decide how to navigate around the obstacle

• move towards the sensed point O_i that minimizes the distance $d(x, O_i) + d(O_i, q_{\text{goal}})$ (called the heuristic distance)

Minimize Heuristic Example

At x, robot knows only what it sees and where the goal is,

so moves toward O_2 . Note the line connecting O_2 and goal pass through obstacle

so moves toward $O_{4.}$ Note some "thinking" was involved and the line connecting O_4 and goal pass through obstacle

Choose the pt O_i that minimizes $d(x,O_i) + d(O_i,q_{doal})$

16-735, Howie Choset with slides from G.D. Hager and Z. Dodds

Motion To Goal Example

Choose the pt O_i that minimizes $d(x,O_i) + d(O_i,q_{goal})$

16-735, Howie Choset with slides from G.D. Hager and Z. Dodds

- problem with concave obstacles
 - eventually the robot reaches a point where $d(x, O_i) + d(O_i, q_{\text{goal}})$ starts to increase

 once this happens, the robot switches to "boundary following" mode

> trick here is that the robot remembers the distance $d_{\rm following}$ between M and $q_{\rm goal}$

M is the point on the blocking obstacle that had the shortest distance to the goal when the heuristic distance started to increase

• the robot returns to "motion to goal" mode as soon as it reaches a point where the distance between a sensed point and the goal or the distance between the robot location and the goal is less than d_{following}

full details

- Principles of Robot Motion: Theory, Algorithms, and Implementations
- http://www.library.yorku.ca/find/Record/2154237

nice animation

http://www.cs.cmu.edu/~motionplanning/student_gallery/2006/st/hw2pub.htm